## Exercise 19

A car rental company offers two plans for renting a car.

- Plan A: $\$ 25$ per day and $\$ 0.10$ per mile
- Plan B: $\$ 40$ per day with free unlimited mileage

How many miles would you need to drive for plan B to save you money?

## Solution

Let $d$ represent the number of days the car is rented for, and let $m$ be the number of miles driven. Write an equation for the cost of each plan.

$$
\begin{aligned}
P_{A}(d, m) & =25 d+0.10 m \\
P_{B}(d) & =40 d
\end{aligned}
$$

Find where Plan A is more expensive.

$$
\begin{gathered}
P_{A}(d, m)>P_{B}(d) \\
25 d+0.10 m>40 d \\
0.10 m>15 d \\
m>150 d
\end{gathered}
$$

Divide both sides by $d$ to get the number of miles per day.

$$
\frac{m}{d}>150
$$

Therefore, if you drive more than 150 miles per day on average, Plan B is less expensive.

